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# **Synthesis of Robust Fuzzy System of Automatic Regulation Of The Temperature Regime Of The Chemical Reactor**

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**ABSTRACT:** This article discusses the methods of fuzzy-system modelling and intelligent control of technological objects in conditions of vagueness and fuzziness of the initial information. The results of the synthesis of a fuzzy system for controlling the temperature regime of a chemical reactor, invariant to parametric and external perturbation are presented.

**KEY WORDS:** Classification, Data Mining, Machine Learning, Predictive analysis, Social Networking Spam, Spam detection.

## **I. INTRODUCTION**

Analysis of state of the problem on designing control systems with complex technological objects shows that traditional methods for constructing models of objects and their control systems do not lead to satisfactory results when the original description of the problem to be solved is certainly inaccurate and incomplete [1,2,7,9].

As a rule, these weakly-structured or poorly defined objects possess such properties as uniqueness, nonstationary structure and parameters, incompleteness or absence of formal description of control object [1, 6, 8, 12]. Controlling objects of this class represents from the point of view of the classical theory of automatic control (TAC) is quite complicated, in most cases, unsolvable problem. This is because when building a traditional control system (CS), it is necessary to formally describe the object of control in advance and form control criteria based on a certain mathematical apparatus that operates in quantitative categories. If it is impossible to give an exact mathematical description of the object and criteria for its control in quantitative terms, the traditional control theory is inapplicable [4,11,13,15]. In these cases, it is advisable to use the methods of intelligent control, specifically focused on the construction of models that take into account the incompleteness and imprecision of the initial data.

## **II. ANALYSIS OF THE EXISTING CONTROL SYSTEM AND PROBLEM STATEMENT**

Let us consider a chemical reactor for the production of fiber "Nitron", in which the process of polymerization of the reaction mixture takes place. This chemical reactor is a vertical welded apparatus with a spherical lid, equipped with a frame stirrer and a steam jacket. The reaction mixture in the reactor is fed from the bottom, and is taken from the top into the dope. The polymerization process takes about 1.5-2 hours. The processes occurring in the reactor depend on the temperature in the reactor, the percentage of all components and the consumption of the reaction mixture.

The main input parameters of this process are: consumption of steam and desalinated water; initial temperature in the jacket and the reactor; initial concentration of components of the reaction mixture. The rest of the effects are perturbing, pressure of heating steam can be considered as the main perturbing influence.

Under certain assumptions and on the basis of the equations of material balance [3,8], it can be represented as following form (Fig. 1):

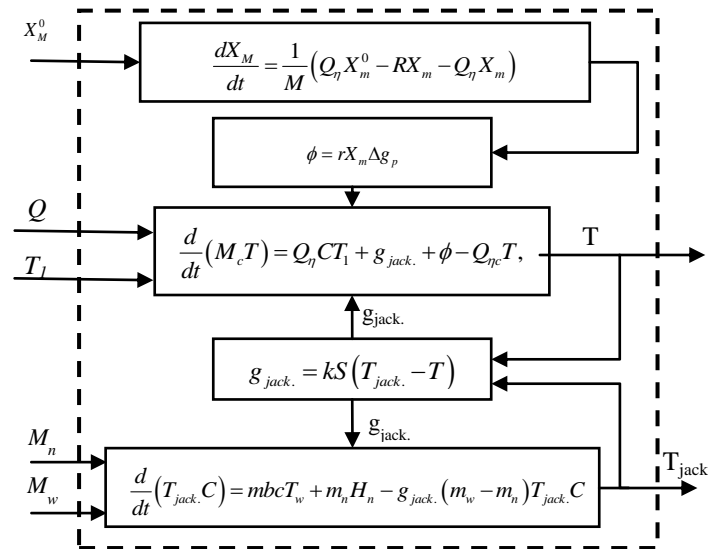


Fig. 1. Structural-functional model of chemical reactor with a steam-jacket

where,  $M$  – mass of reactor contents;  $M_c$  - mass of the reaction mixture ;  $X_m$  – monomer concentration in the reactor;  $Q_1$  –consumption of the reaction mixture at input to the reactor;  $Q_2$  –consumption of output flow;  $X_m^0$  – monomer concentration;  $R$  – constant of reaction rate;  $\Delta g_p$  – thermal effect of the reaction;  $C$  – reactor heat capacity;  $T_{jack.}$  – temperature in the jacket;  $T$  –reactor temperature;  $T_w$  – water temperature;  $H_n$  – enthalpy of steam;  $S$  - surface area of jacket heat transfer;  $g_{jack.}$  –heat flow from the jacket;  $k$  – heat transfer coefficient from the jacket to the reactor;  $\phi$  – generating heat;  $m_w$  – consumption of water supplied to the jacket;  $m_n$  – steam consumption at the entrance to the jacket.

The input regulating effect for the reactor temperature is the heating steam consumption, and the rest are perturbing [3,9].

One of the most important parameters characterizing the quality of the technological process is the concentration and working viscosity of the spinning solute at the outlet of the reactor. Measurement of these parameters is possible only by laboratory method. Analysis of the references [3,8,9,14,16] and experience of industrial operation showed that in order to obtain a spinning solute of a given quality, it is necessary to maintain a certain temperature regime. Therefore, the reactor temperature  $T_{peak.}$  is selected as the output parameter. The temperature of the reactor, in turn, is a controlled parameter, and it is controlled by the temperature of the reactor jacket  $T_{jack.}$ .

Figure 2 shows the structural diagram of the existing cascade system of automatic control (SAC) of the temperature of a chemical reactor. According to this scheme, the temperature in the reactor is controlled by the temperature of the jacket, which can be changed by supplying cold water or hot steam to it. For this purpose, control valves installed on the water and steam supply lines are controlled by a signal from the secondary temperature controller of the jacket, which is installed in relation to the first one in a cascade scheme. Setting the temperature of the controller jacket is generated by the primary reactor temperature controller.

As regulating devices in the primary and secondary regulators, proportional-integral (PI) regulators were used.

$$u_{T_{jack.}}^{prev.}(t) = k_n^1 e_1(t) + \frac{1}{T_u^1} \int_0^{\infty} e_1(t) dt, \quad u_{Q_n}(t) = k_n^2 e_2(t) + \frac{1}{T_u^2} \int_0^{\infty} e_2(t) dt, \tag{1}$$

where

$e_1(t) = T_p^{prev.}(t) - T_p(t)$ ,  $e_2(t) = T_{jack.}^{prev.}(t) - T_{jack.}(t)$  - regulation errors, respectively in the reactor and in the jacket;

$k_n^1, T_u^1, k_n^2, T_u^2$  - Adjustment parameters of the primary and secondary regulators.

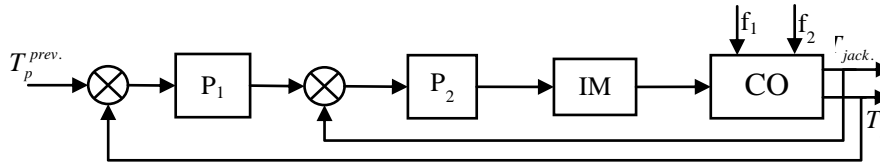


Fig.2. Structural diagram of the cascade SAC temperature of a chemical reactor

As it is known, for a given regulator structure, the calculation of the SAC is reduced to determining the optimal (from the point of view of any quality criterion) tuning parameters of the regulator taking into account the fulfillment of constraints on the system stability margin.

As a quality criterion, the integral quadratic criterion is used:

$$J(t) = \int e(t) dt \rightarrow \min_{k_n, T_u} \quad (2)$$

Optimum tuning parameters  $k_n^1, T_u^1, k_n^2, T_u^2$  of regulators can be found on the basis of minimizing the functional (2).

During the optimization cycle, the following values of the parameters of the primary and secondary regulators were obtained:

$$k_n^1 = 0.51, T_u^1 = 0.37; k_n^2 = 0.41, T_u^2 = 0.19.$$

Further, taking into account these values of the tuning parameters of the regulators, we built a simulation model of a cascade SAC of a chemical reactor temperature in the MatLab environment (Fig.3).

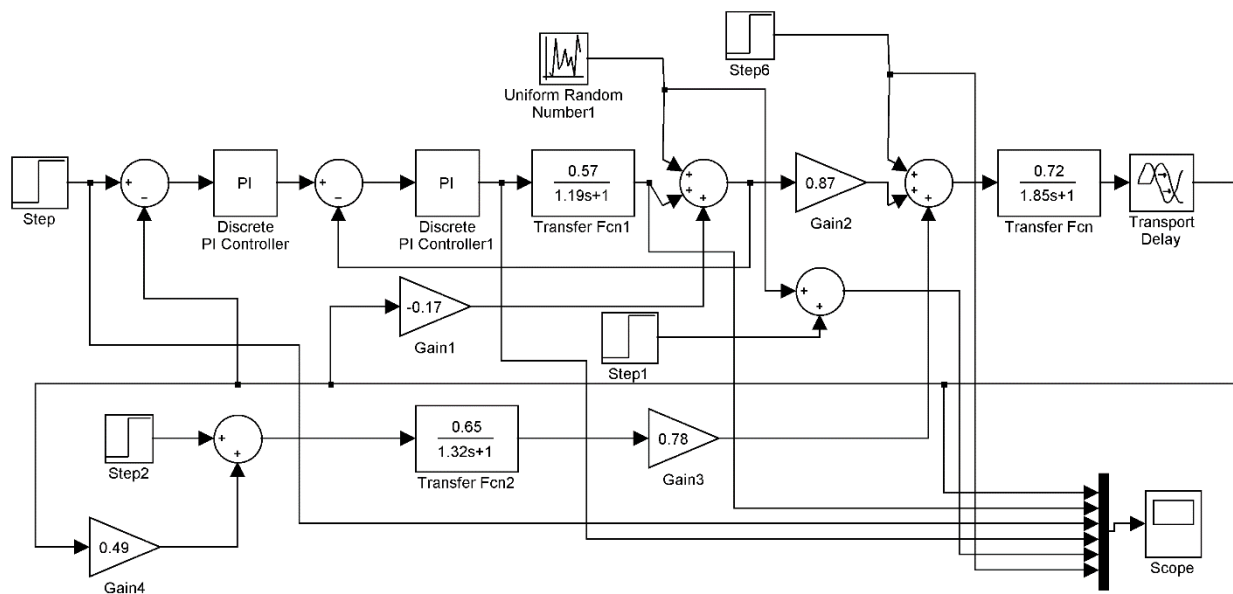


Fig.3. Simulation model of a cascade SAC temperature of a chemical reactor in MatLab environment

The simulation results of this system show (Fig. 4) that the over regulation in the system does not exceed 20%, and the transient process time is 385 seconds.

In presence of external or parametric perturbing influences on the object (for example, a change in vapor pressure of more than 15%, a change in the concentration of the components of the reaction mixture by 10%), the quality indicators of the transition process deteriorate significantly. In the case of a wide range of changes in these parameters, this aspect may lead the control system to an unstable state. This is explained by the fact that in automatic control systems with fixed values of the controller parameters, the quality of the transient process varies depending on the disturbance and technological regimes of the chemical reactor [7, 9].

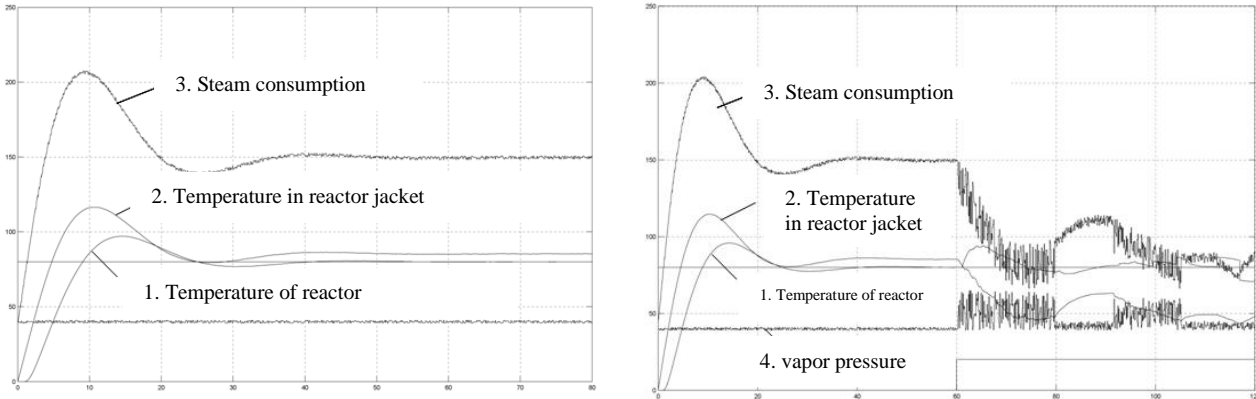


Fig.4. Results modeling of SAC temperature of a chemical reactor

Therefore, it is proposed to look for the solution of such problems using the theory of fuzzy logic, which allows operating with linguistic fuzzy statements, the values of which are interpreted as a fuzzy region of a variable, i.e. as a fuzzy set, which makes it possible to take into account the uncertainty and ambiguity of the source data, as well as assessing the quality indicators of the control object.

Thus, the problem is setting of synthesis a robust fuzzy system for controlling the temperature regime of a chemical reactor, invariant to external and parametric perturbations.

### III.SYNTHESIS OF A FUZZY CONTROL SYSTEM, INVARIANT TO EXTERNAL AND PARAMETRIC PERTURBATIONS

To solve the problem, it is necessary [11,12]:

1. Description of the control object and the definition of its input and output parameters and perturbing influences.
2. The choice of the fuzzy inference algorithm, which most fully determines the decisions made under the given conditions of the course of the polymerization process in a chemical reactor.
3. Synthesis of a fuzzy controller, which is an integral part of an intelligent controller and provides the required qualitative and quantitative indicators of controlling the temperature regime of a chemical reactor in the presence of perturbing influences.
4. Investigation of the obtained response surfaces of a fuzzy regulator under the conditions of the presence of perturbing influences and a pure delay characterizing the technological process of heating for the consumer.

Let us consider a closed system of automatic temperature control of a chemical reactor with a fuzzy logic controller (FLC) (Fig. 5).

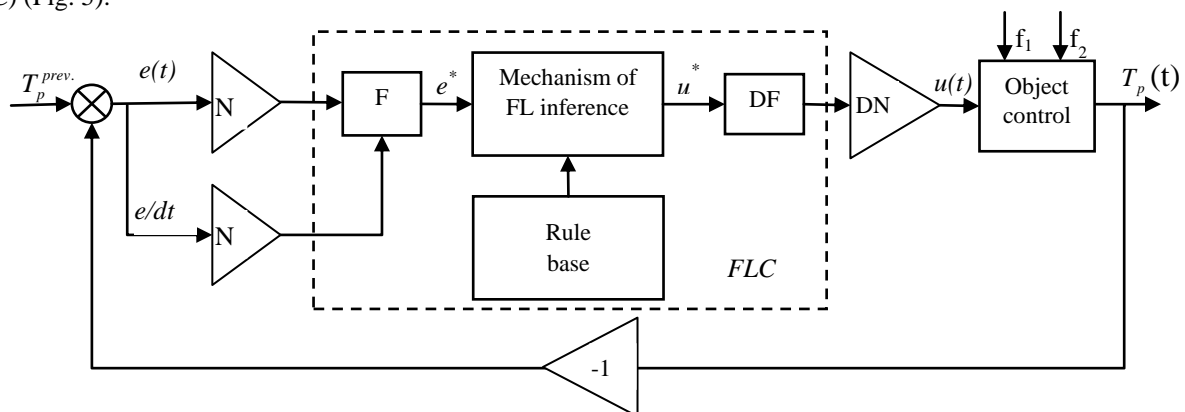


Fig. 5. SAC temperature of chemical reactor with a fuzzy logic controller

This system differs from the previously considered cascade SAC with classical PI controllers in that there is one single fuzzy logic controller of the MISO type with two inputs and one output in the control loop. The fuzzy controller is assigned the task of generating a control changing in the range of variation of the dynamic regulation error and its derivative with respect to its threshold values.

According to this scheme, the input vector FLC is converted into a fuzzy form  $E^* = (e_1^*, e_2^*)$  using fuzzification block  $F$ , then a fuzzy inference is performed in the rule base, resulting in a fuzzy output variable  $u^*$ . Transfer of control vector values  $u^*$  from fuzzy to clear  $u$  carried out by the defuzzification unit  $DF$ .

Block  $N$  is designed to preprocess the input error of the control and its derivative:

$$e_i^N = \begin{cases} e_i, & |e_i| < e_i^{\max}; \\ e_i^{\max} \text{sign}(e_i), & |e_i| \geq e_i^{\max}. \end{cases} \quad (3)$$

Post-processing of the output control signal is carried out by the DN block, where the problem of  $u$  denormalization is solved:

$$u = u_N DN = u_N \left| \frac{u}{u_{\max}} \right|, \quad (4)$$

where  $u_{\max}$  – the maximum value of the control supplied by the object.

As a rule, the FLC knowledge base contains a description of terms of linguistic variables (LV), which must be defined in advance for each input and output variable.

For this, we introduce the following linguistic variables

$e_1 = (\text{"Control error"}, T_{e1}, E_1)$ ,  $e_2 = (\text{"Derivative error"}, T_{e2}, E_2)$  and  $u = (\text{"Control"}, T_u, U)$ , where  $T_{e_i} = \{T_{e_i}^1, T_{e_i}^2, \dots, T_{e_i}^k\}$ ,  $i = \overline{1, k}$ ,  $T_u = \{T_u^1, T_u^2, \dots, T_u^k\}$ , - term set of linguistic variables  $e_1, e_2$  and  $u$  with related membership functions (MF)  $T_{e_i}^l = \mu_{e_i}^l(e_i)$ ,  $T_u^l = \mu_u^l(u)$ ,  $l = \overline{1, k}$ , given respectively on universal sets  $E_i = [E_{i\min}, E_{i\max}]$  and  $U = [U_{\min}, U_{\max}]$ .

Suppose, that each input and output linguistic variable  $T_x = \{T_e, T_{e/dt}, T_u\}$  each has 7 terms:  $T_x = \{ \text{'NB'}, \text{'NM'}, \text{'NS'}, \text{'ZE'}, \text{'PS'}, \text{'PM'}, \text{'PB'} \}$  with triangular membership functions:

$$\mu_{T_x}(x, a, b, c) = \begin{cases} 0 & \text{if } x \leq a \\ (x - a) / (b - a) & \text{if } a \leq x \leq b \\ (c - x) / (c - b) & \text{if } b \leq x \leq c \\ 0 & \text{otherwise } c \leq x \end{cases} \quad (5)$$

Then, linguistic variables are the result of fuzzification:

$$e_1 = \langle \text{Error} \rangle = [ \mu_{NB_{e_1}}(e) / NB_{e_1}, \mu_{NM_{e_1}}(e) / NM_{e_1}, \mu_{NS_{e_1}}(e) / NS_{e_1}, \mu_{ZE_{e_1}}(e) / ZE_{e_1}, \mu_{PS_{e_1}}(e) / PS_{e_1}, \mu_{PM_{e_1}}(e) / PM_{e_1}, \mu_{PB_{e_1}}(e) / PB_{e_1} ];$$

$$e_2 = \langle \text{Speed change of error} \rangle = [ \mu_{NB_{e_2/dt}}(e/dt) / NB_{e_2/dt}, \mu_{NM_{e_2/dt}}(e/dt) / NM_{e_2/dt}, \mu_{NS_{e_2/dt}}(e/dt) / NS_{e_2/dt}, \mu_{ZE_{e_2/dt}}(e/dt) / ZE_{e_2/dt}, \mu_{PS_{e_2/dt}}(e/dt) / PS_{e_2/dt}, \mu_{PM_{e_2/dt}}(e/dt) / PM_{e_2/dt}, \mu_{PB_{e_2/dt}}(e/dt) / PB_{e_2/dt} ];$$

$$u^* = \langle \text{Control} \rangle = [ \mu_{NB_u}(u) / NB_u, \mu_{NM_u}(u) / NM_u, \mu_{NS_u}(u) / NS_u, \mu_{ZE_u}(u) / ZE_u, \mu_{PS_u}(u) / PS_u, \mu_{PM_u}(u) / PM_u, \mu_{PB_u}(u) / PB_u ].$$

Next, we form the base rules of logical inference of the FLC in the form:

$$\text{If } (T_{e1}^j \times T_{e2}^j) \text{ TO } T_u^j, \quad j = \overline{1, 7}, \quad (6)$$

where  $(T_{e1}^j \times T_{e2}^j)$  - cartesian product of fuzzy sets  $E_1$  and  $E_2$ , given on scales  $E_1$  and  $E_2$ , with the membership function:

$$\mu_{(T_{e1}^j \times T_{e2}^j)}(e_1, e_2) = \mu_{T_{e1}^j}(e_1) \wedge \mu_{T_{e2}^j}(e_2), \quad (7)$$

$T_u^j$  - corresponding output fuzzy set defined by fuzzy relation  $R^j = (T_{e1}^j \times T_{e2}^j) \times T_u^j$ ,  $j = \overline{1, 7}$  with the membership function:

$$\mu_{R^j}((e_1, e_2), u^*) = (\mu_{T_{e1}^j}(e_1) \wedge \mu_{T_{e2}^j}(e_2)) \wedge \mu_{T_u^j}(u^*). \quad (8)$$

The combination of all the rules corresponding to fuzzy relation  $R = \bigcup_{j=1}^7 R^j$  with the membership function

$$\mu_R((e_1, e_2), u^*) = \bigvee_{j=1}^7 [(\mu_{T_{e_1}^j}(e_1) \wedge \mu_{T_{e_2}^j}(e_2)) \wedge \mu_{T_u^j}(u^*)] \tag{9}$$

determines the knowledge base of the FLC and sets the law for the functioning of a fuzzy system.

Thus, given the values of the input linguistic variables  $T_{e_1}^j$  and  $T_{e_2}^j$ , the output value of the fuzzy-logic controller  $T_u^j$  can be determined on the basis of the following compositional rule [13]:

$$B^j = (T_{e_1}^j \times T_{e_2}^j) \bullet R, \tag{10}$$

with degree of membership:

$$\mu_{T_u^j}(u^*) = \bigvee_{e_1 \in E_1, e_2 \in E_2} [(\mu_{T_{e_1}^j}(e_1) \wedge \mu_{T_{e_2}^j}(e_2)) \wedge \mu_R(e_1, e_2, u^*)]. \tag{11}$$

In case the linguistic variables of the input signal  $e_1$  and  $e_2$  take respectively fuzzy sets  $T_{e_1}^j$  and  $T_{e_2}^j$ , fuzzy set  $T_u^j$  the linguistic variable of the control signal  $u^*$  is defined as follows:

$$\mu_{T_u^j}(u^*) = \max_{e_1, e_2} \left\{ \left[ \prod_{i=1}^n \mu_{T_{e_i}^j}(e_i) \right] \cdot \left[ \min_{j=1}^m \left[ \prod_{i=1}^n \mu_{T_{e_i}^j}(e_i) \right] \cdot \mu_{T_u^j}(u^*) \right] \right\}. \tag{12}$$

Linguistic control law of the FLC can be presented in the form of table 1.

**Table 1.**

Extended table of rules for fuzzy-logical PD - regulator

| $e_2 = (de/dt)^*$ | $e_1 = e^*$ |        |        |        |        |        |        |
|-------------------|-------------|--------|--------|--------|--------|--------|--------|
|                   | $NB_e$      | $NM_e$ | $NS_e$ | $ZE_e$ | $PS_e$ | $PM_e$ | $PB_e$ |
| $NB_{e/dt}$       | $NB_u$      | $NB_u$ | $NB_u$ | $NB_u$ | $NS_u$ | $NS_u$ | $ZE_u$ |
| $NM_{e/dt}$       | $NB_u$      | $NB_u$ | $NB_u$ | $NS_u$ | $NS_u$ | $ZE_u$ | $PS_u$ |
| $NS_{e/dt}$       | $NB_u$      | $NB_u$ | $NS_u$ | $NS_u$ | $ZE_u$ | $PS_u$ | $PB_u$ |
| $ZE_{e/dt}$       | $NB_u$      | $NS_u$ | $NS_u$ | $ZE_u$ | $PS_u$ | $PB_u$ | $PB_u$ |
| $PS_{e/dt}$       | $NM_u$      | $NS_u$ | $ZE_u$ | $PS_u$ | $PB_u$ | $PB_u$ | $PB_u$ |
| $PM_{e/dt}$       | $NS_u$      | $ZE_u$ | $PS_u$ | $PB_u$ | $PB_u$ | $PB_u$ | $PB_u$ |
| $PB_{e/dt}$       | $ZE_u$      | $PS_u$ | $PM_u$ | $PB_u$ | $PB_u$ | $PB_u$ | $PB_u$ |

After the fuzzy inference procedure, to obtain the real value of the output signal of the fuzzy controller, it is necessary to carry out the defuzzification process – converting the fuzzy value of the linguistic variable  $u^*$  to a clear value  $u$ . For this, we use the center of gravity method [15]:

$$u = \frac{\sum_{n=1}^9 u_n^* \mu_{T_u}(u_n^*)}{\sum_{n=1}^9 \mu_{T_u}(u_n^*)}. \tag{13}$$

If we consider the membership function of a fuzzy value  $T_u^j$ , it can be represented as:

$$\mu_{T_u^j}(u) = \begin{cases} \prod_{i=1}^n \mu_{T_{e_i}^j}(e_i), & u = \lambda^j \\ 0, & u \neq \lambda^j \end{cases}, \tag{14}$$

where  $\lambda^j$  – discrete numerical values of the output signal.

Then the determining value of the output signal FLC at the stage of defuzzification can be calculated as follows:

$$u = \sum_{j=1}^m \lambda^j \left[ \prod_{i=1}^n \mu_{T_{e_i}^j}(e_i) \right] / \sum_{j=1}^m \prod_{i=1}^n \mu_{T_{e_i}^j}(e_i), \tag{15}$$

or

$$u(\bar{e}, \bar{\lambda}) = \sum_{j=1}^m \lambda^j \zeta_j(\bar{e}), \tag{16}$$

where  $\zeta_j(\bar{e}) = \prod_{i=1}^n \mu_{T_{e_i}}(e_i) / \sum_{j=1}^m \prod_{i=1}^n \mu_{T_{e_i}}(e_i)$ .

If we consider the basic equation of the PID controller can be written as

$$u(t) = u_0 + K \left( e(t) + \frac{1}{T_u} \int_0^t e(\tau) d\tau + T_d \frac{de(t)}{dt} \right), \tag{17}$$

then, control law of the PID controller can be represented as a controller with a variable coefficient:

$$K_{PID} = K \cdot K^*, \tag{18}$$

where  $K^*$  is the variable part of the gain depending on the current value of the derivative and the integral of the control error.

This allows to implement a PID-type fuzzy-logic controller in the form of two successively connected modules: “FLC PD type” module and “fuzzy correction” module with adjustable coefficients  $\alpha$  and  $\beta$  (Fig. 6).

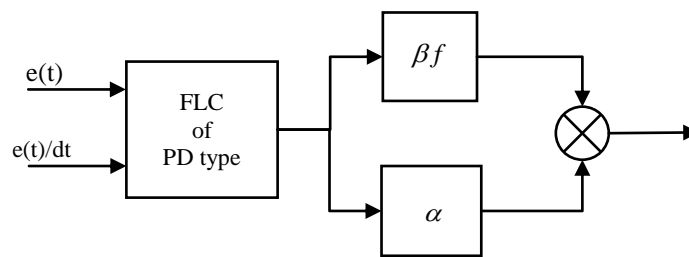


Fig. 6. Structural model of a fuzzy-logic PID-regulator

Thus, in the case of the completeness and consistency of the fuzzy inference rule base, the FLC operation law can be represented as sum of products of two functions determined by the type and distribution of the membership functions and the selected fuzzy inference algorithm.

Based on the above theoretical considerations, we can formulate the following algorithm for the synthesis of a fuzzy-logical PID controller:

1. Input and output linguistic variables of the FLC are determined by 7 terms - sets with uniformly distributed triangular membership functions.
2. Scaling and denormalization coefficients of the fuzzy controller ( $N, DN$ ) are determined.
3. Rule bases of FLC logical inference are formed in the form of (12).
4. A standard linear FLC PD - type with 7 terms for each LV and 49 rules is sequentially included in the system, the task of which is to suppress oscillations.
5. The law of non-linear FLC functioning is formed by offsetting the centers of intermediate terms of the input LV “control error” to a linear FLC of PD type.
6. In order to reduce time of transition process, optimal parameters of the membership function of the term-sets of the linguistic variable  $e_1$  are selected:  $\mu_{e_1}^j(x, a_j^*, b_j^*, c_j^*)$ .
7. Selection of parameters  $\alpha$  and  $\beta$ , allowing reduction of static error.

The considered algorithm for the synthesis of a fuzzy-logical PID controller is distinguished by simplicity, since it allows to use of a standard form for describing linguistic variables and the minimum set of control rules.

#### IV. RESEARCH OF QUALITY CHARACTERISTICS OF A FUZZY SAC TEMPERATURE OF A CHEMICAL REACTOR

Further, in order to study the efficiency of the synthesized law of fuzzy control, a simulation model of a fuzzy SAC temperature of a chemical reactor in the MatLab environment (Fig. 7) was constructed and a series of computational experiments were carried out.

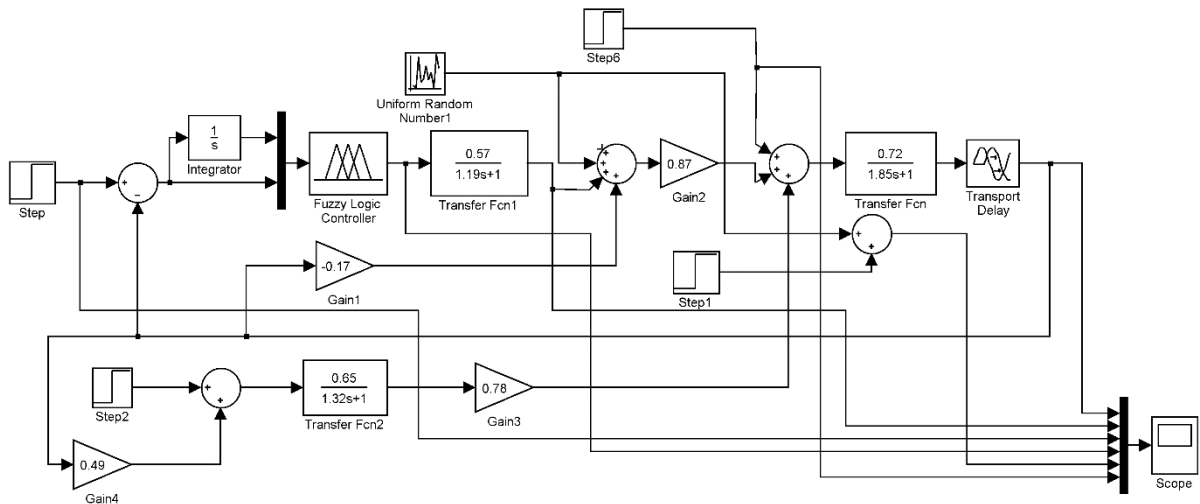


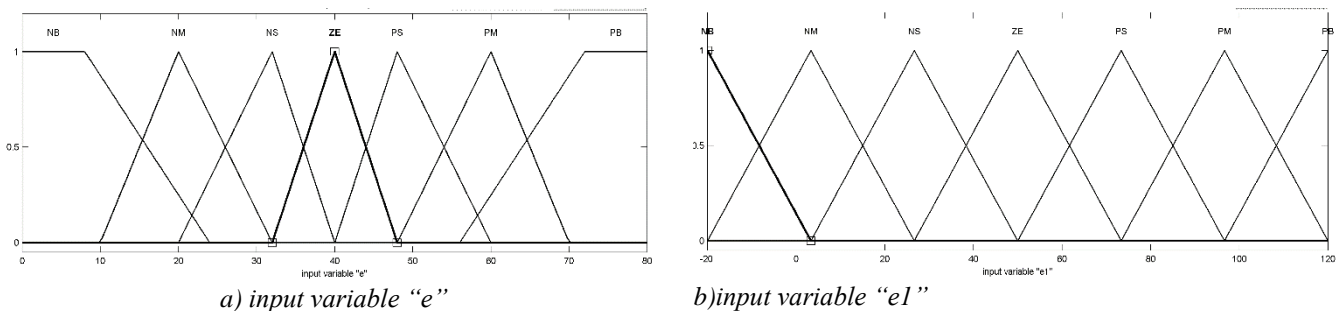
Fig.7. Simulation model of fuzzy SAC temperature of a chemical reactor in MatLab environment

Analysis of the simulation results of a fuzzy control system (FCS) with uniformly distributed triangular membership functions of the input linguistic variables showed that the qualitative characteristics of a FCS with an FLC are much better compared to the existing cascade SAC with a PI controller ( $t_{nm}^{FLC1} = 259sec.$ ,  $\xi_{nep.p}^{FLC1} = 15.7%$ ), but does not satisfy requirement in speed.

In order to improve the quality characteristics of this system, the parameters  $e_1^*$ ,  $e_2^*$  and  $u^*$  of the membership function of linguistic variables have been optimized. For example, at several stages of an iterative search, the following parameters of the membership function of term sets are obtained  $T_{e1} = \{ 'NB_e', 'NM_e', 'NS_e', 'ZE_e', 'PS_e', 'PM_e', 'PB_e' \}$  with different ranges of universes:

$$\begin{aligned} \mu_{NB_e}(e) &= \mu_{NB_e}(e, -1.18, -1.02, -0.58); \quad \mu_{NM_e}(e) = \mu_{NM_e}(e, -1.02, -0.58, -0.18); \\ \mu_{NS_e}(e) &= \mu_{NS_e}(e, -0.58, -0.18, 0); \quad \mu_{PS_e}(e) = \mu_{PS_e}(e, -0.18, 0, 0.18); \\ \mu_{PM_e}(e) &= \mu_{PM_e}(e, 0, 0.18, 0.58); \quad \mu_{PB_e}(e) = \mu_{PB_e}(e, 0.58, 1.02, 1.18); \end{aligned} \quad (19)$$

Figure 8 shows a graphical representation of the MF of  $e_1^*$ ,  $e_2^*$  and  $u^*$  linguistic variables, as well as the response surface, illustrating the dependence of the output of a fuzzy logic regulator “Degree of opening of a steam flow valve” on the input variables “Reconciliation temperature of the reactor” and “Error changing rate”.





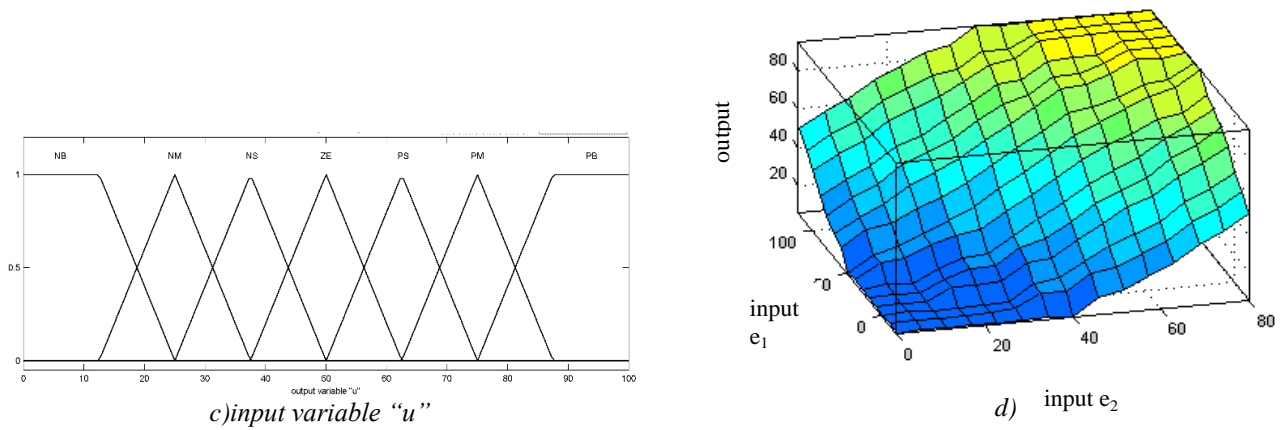


Fig. 8. Membership functions of term-sets of  $e_1, e_2$  and  $u$  linguistic variables

Next, we repeat the computational experiments taking into account the optimized parameters of MF of linguistic variables for different values of the parameters of the transfer function of the control object and the levels of the perturbing signal (Fig. 9).

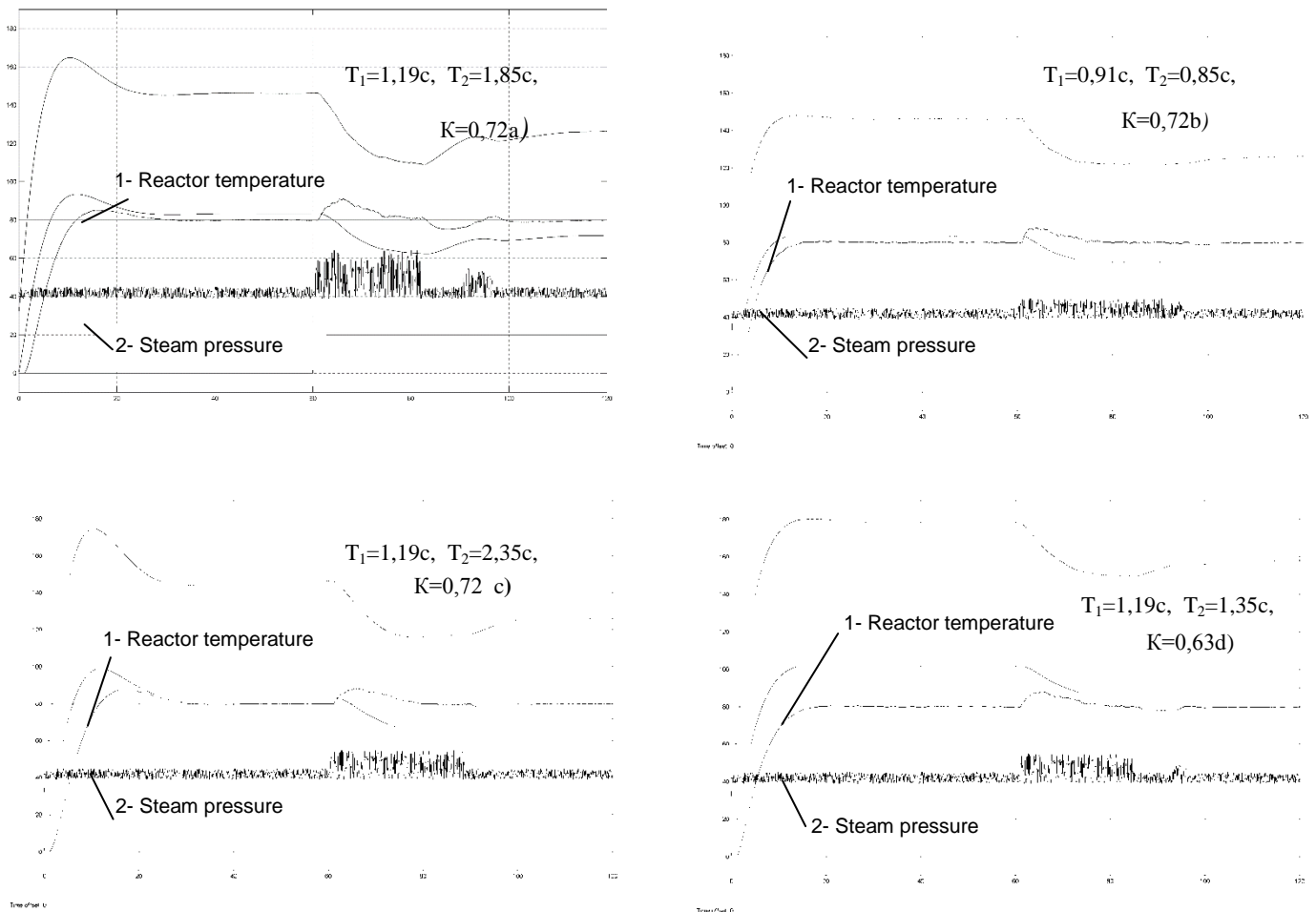


Fig.9. Simulation results of a fuzzy SAC temperature of a chemical reactor at different values of the transfer function parameters and levels of an external perturbation signal



As can be seen from the graphs of the transition process (Fig. 9, a, b, c and d), in the presence of a noisy external perturbing signal in the system and its level changes up to 30%, as well as changes in the parameters of the control object (amplification factor  $K_1^{OY}, K_2^{OY}$  and constant time  $T_1^{OY}, T_2^{OY}$ ) up to 25% (in the direction of increasing and decreasing), fuzzy system holds stability properties. At the same time, the quality characteristics of FCS varies sufficiently small range:  $t_{mn}^{FCSz} \in [231 \div 259]sec.$ ,  $\varepsilon_{nep.p}^{FCS} \in [0.0 \div 12]\%$ .

## V. CONCLUSION

Thus, based on the conducted computational experiments, it can be concluded that the synthesized fuzzy logic controller has the robustness feature and gives the entire automatic control system, the ability to maintain the reactor temperature at a given level in the presence of external perturbing influences, and also to qualitatively control the polymerization process with a wide range of changes in its parameters over time.

## REFERENCES

- [1] R.A. Aliyev, R.R. Aliev Theory of intelligent systems. –Baku, Chashyolgy Publishing House, 2001. –720 p.
- [2] Vasilyev V.I., Ilyasov B.G. Intellectual control systems: Theory and practice. - M.: Radio Engineering, 2009. - 392 p.
- [3] Golding B. Chemistry and technology of polymers. M.: Izdatinlit, 1973. - 357 p.
- [4] Gostev V.I. Designing of fuzzy regulators for automatic control systems - St. Petersburg: BHV-Petersburg, 2011. - 416 p.
- [5] Zakharov V.N., Ulyanov C.B. Fuzzy models of intelligent industrial regulators and control systems. // IV. Simulation. Izv. RAS. Technical cybernetics. - 1994. - №5, p. 35-43.
- [6] Zadeh L.A. The concept of a linguistic variable and its application to making approximate decisions. –M.: Mir, 1976. - 165 p.
- [7] Intelligent automatic control systems / Under the editorship of I.M. Makarova, VM Lokhina - M FIZMATLIT, 2001 - 576 p. - ISBN 5-9221-0162-5.
- [8] Kafarov V.V., Dorokhov I.N. System analysis of chemical technology processes. Basics of strategy. - M.: Science, 1976. - 499 p.
- [9] Kafarov V.V., Meshalkin V.P. Principles of development of intelligent systems in chemical technology. Dokl. An. -1989.-T. 306.-№2.-C. 409-413.
- [10] Marahimov A.R. Neuro-fuzzy approach of restoring the membership functions of the values of linguistic variables // Uzb. journals "Problems of computer science and energy." 2004, №5. - p. 8-15.
- [11] Pegat A. Fuzzy modeling and control. M.: Bean. Laboratory of Knowledge, 2009. - 798 p.
- [12] Ulyanov S.V., Litvintseva L.V., et al. Intellectual robust control: soft computing technologies. –M.: VNIIGeosystem, 2011.-408 p.
- [13] Mamdani E. H. Rule-based Fuzzy Approach to the Control of Dynamic Processes II IEEE Trans, on Comput. - 1981. - № 12. - P. 432-440.
- [14] Rotach V. The Analysis of Traditional and Fuzzy PID Rigulators. Proceeding 8-th Zittau Fuzzy Colloquium, 2000. - P. 165-172.
- [15] Zadeh L. Fuzzy logic, neural network and soft computing. Communications of the ACM. -1994. -Vol. 37. - №3. - P. 30-39.
- [16] Zimmerman Y.J. Fuzzy set Theory and its applications. Second Revised Edition, 1990. - 398 p.

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