FE Modeling of I-SECTION Connecting Rod

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ABSTRACT: This paper is describes modeling of I-sectionconnecting rod used for FEA, its generation, simplifications and accuracy. Mesh generation and its convergence are discussed. The load application, particularly the distribution at the contact area, factors that decide load distribution, the calculation of the pressure constants depending on the magnitude of the resultant force, application of the restraints and validation of the FEA model are also discussed. In this paper fatigue in connecting rod is investigated. The investigation is done using ANSYS Workbench 14.0. The reason for performing this research is to locate and analysis the weak point in the design of connecting rod that is affected my reversal loading during its service time.

KEYWORDS:I-section connecting rod, FEA model, ANSYS Workbench 14.0

I. INTRODUCTION

FEA has become an essential step in the design or modeling of a physical phenomenon in various engineering discilines. A physical phenomenon usually occurs in a continuum of matter (solid, liquid, or gas) involving several field variables. The field variables vary from point to point, thus possessing an infinite number of solutions in the domain. The basis of FEA relies on the decomposition of the domain into a finite number of sub domains (elements) for which the systematic approximate solution is constructed by applying the variational or weighted residual methods. In effect, FEA reduces the problem to that of a finite number of unknowns by dividing the domain into elements and by expressing the unknown field variable in terms of the assumed approximating functions within each element. These functions are defined in terms of the values of the field variables at specific points, referred to as nodes. Nodes are usually located along the element boundaries, and they connect adjacent elements. The ability to discretize the irregular domains with finite elements makes the method a valuable and practical analysis tool for the solution of boundary.

II. FE MODELING OF I-SECTION CONNECTING ROD

This section describes modeling of I-section connecting rod used for FEA, its generation, simplifications and accuracy. Mesh generation and its convergence are discussed. The load application, particularly the distribution at the contact area, factors that decide load distribution, the calculation of the pressure constants depending on the magnitude of the resultant force, application of the restraints and validation of the FEA model are also discussed.
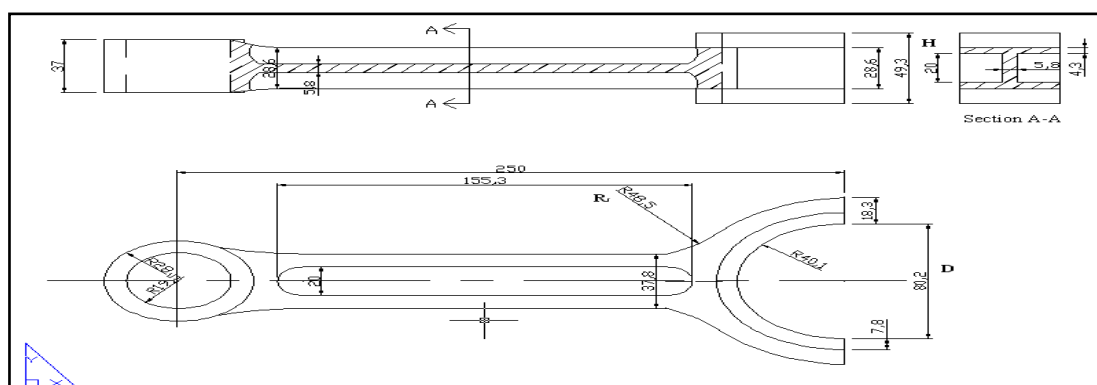
A. **MODELING OF I-SECTION CONNECTING ROD**

Fig.1 The geometry of the I-section connecting rod [4]

Solid modelling (or modelling) is a consistent set of principles for mathematical and computer modelling of three dimensional solids. Solid modelling is distinguished from related areas of Geometric modelling and Computer graphics

by its emphasis on physical fidelity. Together, the principles of geometric and solid modelling form the foundation of Computer-aided design and in general support the creation, exchange, visualization, animation, interrogation, and annotation of digital models of physical objects.

The geometrical dimensions of the I-section connecting rod are shown in Fig.1. The material properties of the connecting rod as shown in Table.1 were used in the FE analysis of the connecting rod for I-section. A geometrical model of I-section connecting rod as shown in Fig.2 was generated using Pro-E Designing Software. The I-section connecting rod weight as measured on a weighing scale is 1705 grams. The difference in weight between the weights of the solid model used for FEA and the component used by M. Omid*et al* [1] is less than 1%. This is an indication of the accuracy of the solid model.

Table .1 Properties of the connecting rod used for FE Analysis

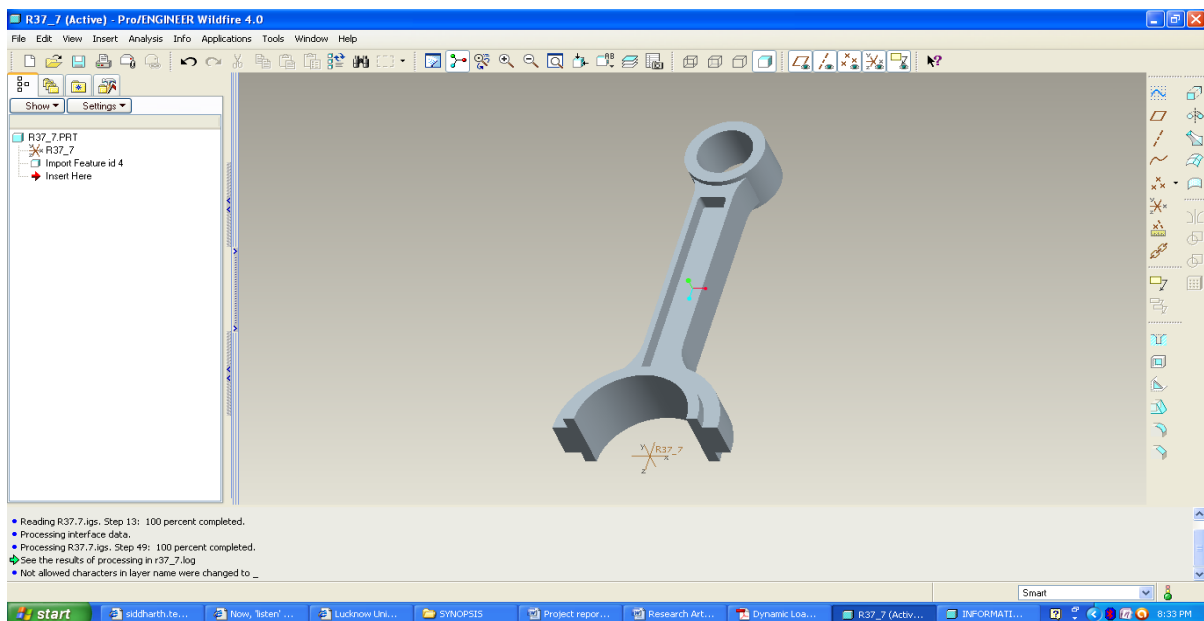| Input Parameters	Values
Tensional strength	621 MPa
Yield Strength	483 MPa
Brinell Strength	229-269 HB
Young's Modulus	207 GPa
Shear Modulus	79 GPa
Poison Ratio	0.3
Density	7.7 Mg/m^3
Correction Coefficient	0.8
Connecting Rod Material	C-70 Alloy steel

Fig.2 Geometrical Model of I-section Connecting Rod

In the case of I-section connecting rod, the degree of non-symmetry in the shank region, when comparing the areas on either side of the axis of symmetry perpendicular to the connecting rod length and along the web, was about 5%. This non-symmetry is not the design intent and is produced as a manufacturing variation. Therefore, the connecting rod has been modeled as a symmetric component.

B. **MESH GENERATION OF I-SECTION**

Mesh generation is the practice of generating a polygonal or polyhedralmesh that approximates a geometric domain. The term "grid generation" is often used interchangeably. Typical uses are for rendering to a computer screen or for physical simulation such as finite element analysis or computational fluid dynamics. The input model form can vary greatly but common sources are CAD, NURBS, B-rep and STL (file format). The field is highly interdisciplinary, with contributions found in mathematics, computer science, and engineering. Three-dimensional meshes created for finite element analysis need to consist of tetrahedral, pyramids, prisms or hexahedra. Those used for the finite volume method can consist of arbitrary polyhedral. Those used for finite difference methods usually need to consist of piecewise structured arrays of hexahedra known as multi-block structured meshes [5].

Pro/E and ANSYS workbench software are used for the FE analysis. The I-section connecting rods were modelled in 3D using Pro/E software, IGES file is generated and then imported in ANSYS workbench software. The next stage was to mesh the connecting rods. The mesh model of I-section was shown in Fig.3. The 10 – node tetragonal elements (SOLID 187) were used as shown in Fig. 4 Finite element mesh was generated using tetragonal elements with element length of 2 mm (2262 elements). The reason for choosing this element was to make the geometrical parts of a complicated mechanical component so enable us to gain more authentic results based on the high techniques of fatigue life calculation.
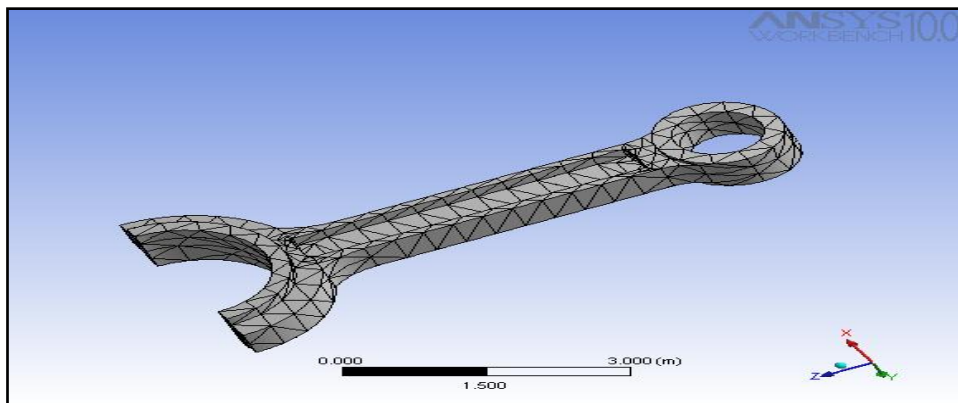

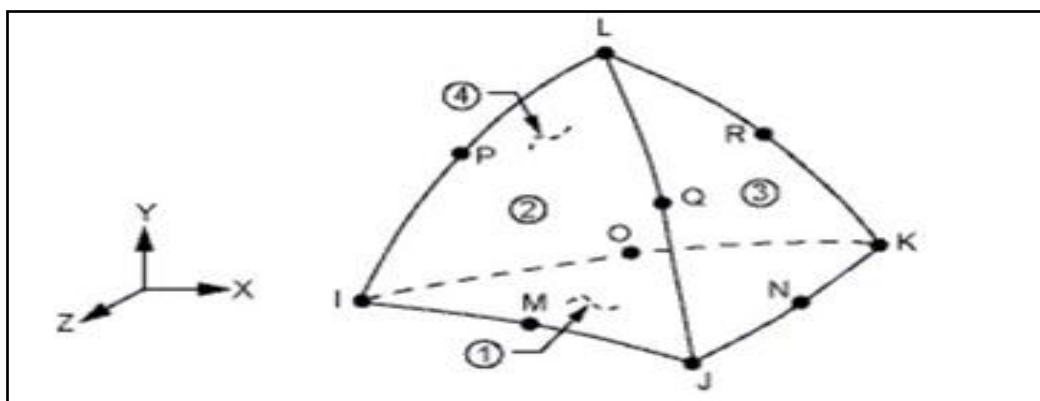Fig.3 Meshing Model of I-section Connecting Rod

Fig. 4 The 10 – node tetragonal elements (SOLID 187)[5]

SOLID187 element is a higher order 3-D, 10-node element. SOLID187 has quadratic displacement behaviour and is well suited to modelling irregular meshes (such as those produced from various CAD/CAM systems). The element is defined by 10 nodes having three degrees of freedom at each node: translations in the nodal x, y, and z directions. The element has plasticity, hyper elasticity, creep, stress stiffening, large deflection, and large strain capabilities. It also has mixed formulation capability for simulating deformations of nearly incompressible elastoplastic materials, and fully incompressible hyper-elastic materials.

III. BOUNDARY CONDITIONS FOR I- SECTION

A. LOADING

The big ends are assumed to have a sinusoidal distributed loading over the contact surface area, under tensile loading, as shown in the Fig. 5.This is based on experimental results (Webster *et al.* 1983)[2]. The normal force on the contact surface is given by:

$$F = F_o cos\theta \dots\dots\dots\dots\dots\dots\dots\dots\dots(1)$$

The load is distributed over an angle of 180°. The total resultant load is given by:

$$F_t = \int_{-\pi/2}^{\pi/2} F_o(cos^2\theta)rtd\theta = F_o rt\pi/2\dots\dots(2)$$

Fig.7 describes r, t and θ. The normal Force constant F_o is, therefore, given by:

$$F_o = F_t/rt\pi/2 \dots\dots\dots\dots\dots\dots\dots\dots\dots..(3)$$

The tensile load acting on the connecting rod, F_t, can be obtained using the expression from the force analysis of the slider crank mechanism.

In this study four finite element models were analyzed. FEA for both tensile and compressive loads were conducted. Two cases were analyzed for each case, one with load applied at the crank end and restrained at the piston pin end, and the other with load applied at the piston pin end and restrained at the crank end. In the analysis carried out, the axial load was *9500* N in both tension and compression.

Since the analysis is linear elastic, for static analysis the stress, displacement and strain are proportional to the magnitude of the load. Therefore, the obtained results from FEA readily apply to other elastic load cases by using proportional scaling factor.
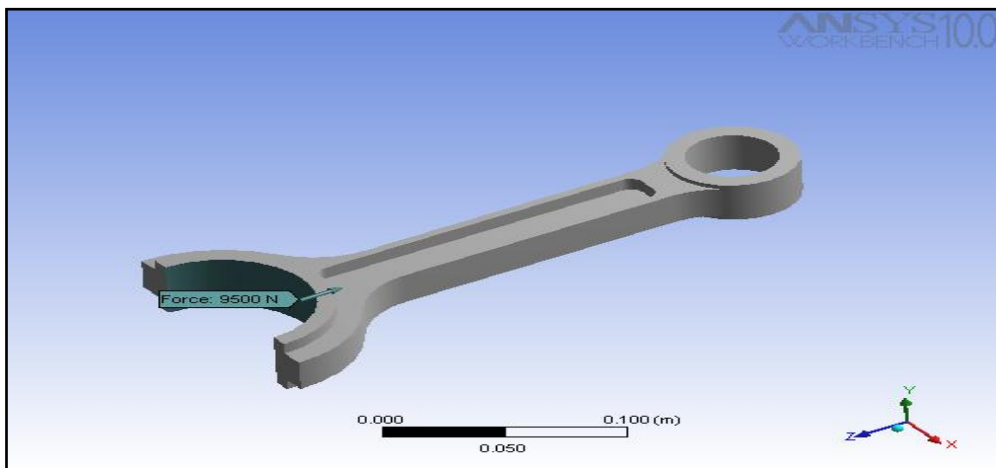

Fig. 5A sinusoidal distributed loading over the contact surface area, under tensile loading on I-section connecting rod

B. RESTRAINTS

As already mentioned, four FEA models were solved. Fig.6 shows a FEA model in which tensile load is applied at the big end and the small end is restrained. Note that half of the piston pin inner surface (180°) is completely restrained (180° of contact surface area is totally restrained, i.e X, Y, Z translations of all the nodes on this surface are set to zero if the connecting rod is in tension). Similarly, when the connecting rod is under axial compressive load, 120° of contact surface area is totally restrained.
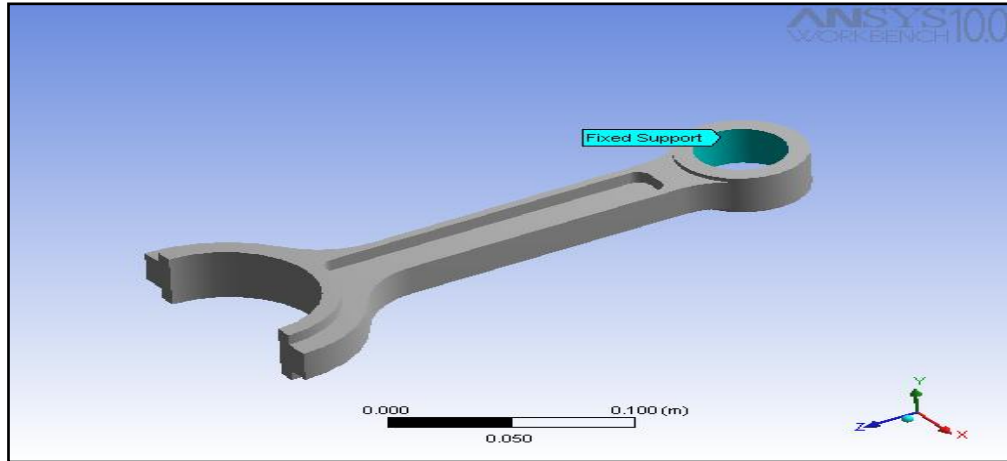
Fig .6A model in which the small end of I-section connecting rod is restrained

IV. FATIGUE ANALYSIS OF I-SECTION CONNECTING ROD

First of all, the boundary conditions were defined, exerting a tension force. Afterwards, a compressive force, exactly with the same magnitude but in a reverse direction substituted the tension force and it was solved again. In every phase of loading the Von Misses stresses were activated and the critical points were determined.

Fig. 7 shows the stresses generated in the various sector of I-section connecting rod and the critical sector can be observed at the connecting rod stem near the bearing or roundness of big end through the cyclic loading as shown in Fig. 8.
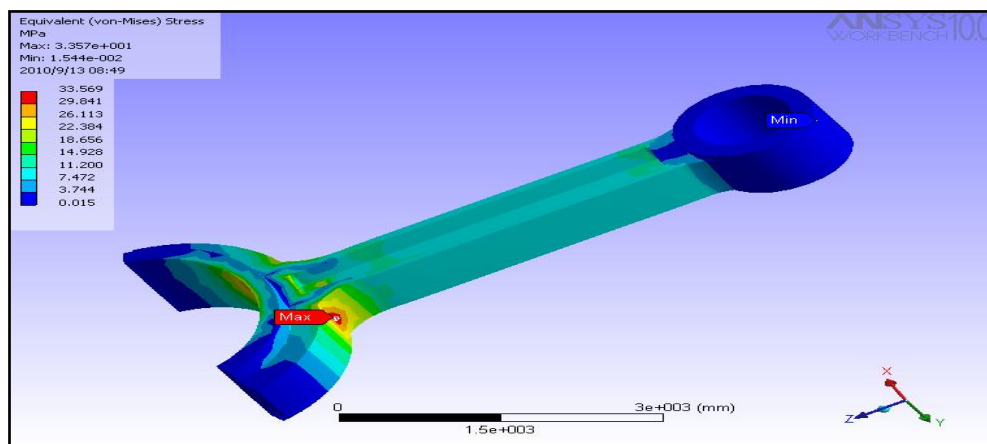

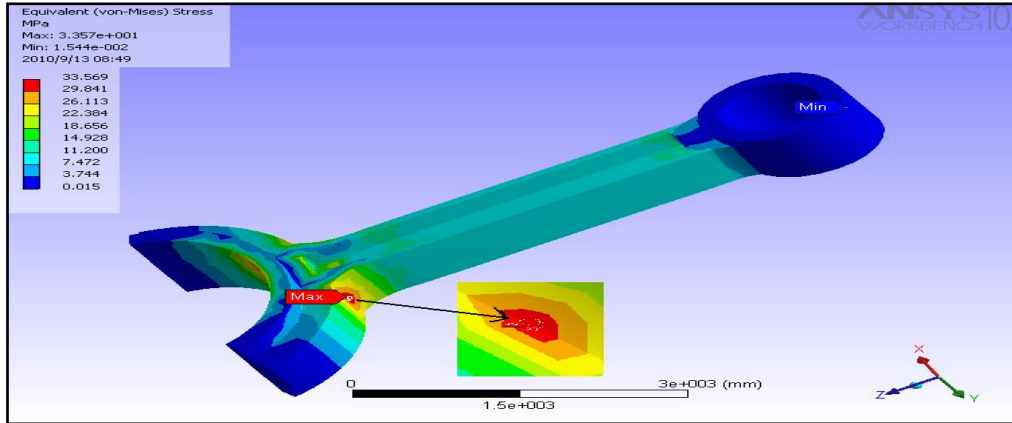Fig. 7 Fatigue Analysis of I-section connection rod

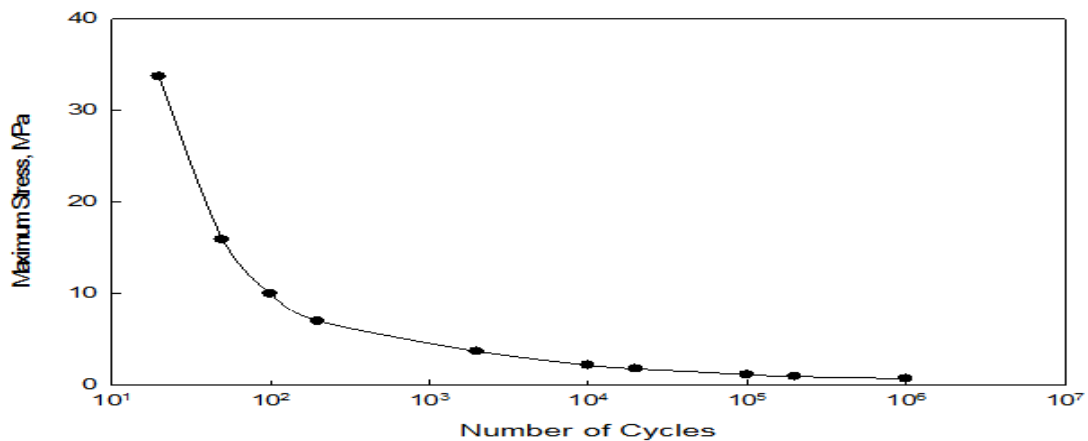Fig. 8 Critical point of I-section Connecting Rod

Fig.9 V. S-N curve for I-section connecting rod subjected to a fatigue loading

After determination of these critical points, they were elected as the points for fatigue investigation. Filling the fatigue parameter blanks, the S-N data collected from the fatigue test of the specific alloy into the software should import is shown in Fig.9. Eventually a 10^6 force cycle was exerted to the model and partial consumption rate which indicated the number of exerted cycles to allowable ones for each node was gained. In order to improve and optimize the fatigue life of a connecting rod we can vary some geometrical dimensions keeping all other dimension constant near the big end.

V. VALIDATION OF FINITE ELEMENT ANALYSIS

The properties of the material used for linear elastic finite element analysis are obtained by the M.Omid*et al* [2]. In order to validate the FEA model, the stresses in the shank region half way along the length of the connecting rod were compared under two conditions of compressive load application. First, a 9500 N uniformly distributed load was applied at the big end, while the small end was restrained.

Table 2: Validation of FE Analysis of the connecting rod

Stresses	ANSYS 10	ANSYS Workbench
Maximum Stress in Tension	29.4 MPa	29.94 MPa
Maximum Stress in Compression	24 MPa	23.33 MPa

In the present work, the FE analysis for the connecting rod has been carried out using ANSYS workbench software and validate with that obtained by the *Omid et al[3]* and shown in Table 2.

VI. RESULTS OF I-SECTION CONNECTING ROD

The maximum stress developed in the I section connecting rod near the big end of the connecting rod is 33.56 MPa. The stresses corresponding to the critical points are calculated by continuously increasing the number of force cycles up to 10^6.

The remaining figures of present work investigates the effects of critical dimensions, such as fillet radius near the big end (R_f), inner diameter (D) and height of the big end (H), on the mass of the connecting rod and stresses generated at critical point. In the present work, the effect of basic critical dimensions has been investigated on the fatigue life of I and H section connecting rod, keeping all other dimensions as constant.

The stresses corresponding to the critical points are calculated by continuously increasing the number of force cycles up to 10^6. The basic critical dimensions of I-section connecting rod as shown in Fig.10 are $R_f = 48.5$ mm, $D = 80.2$ mm and $H = 49.3$ mm.
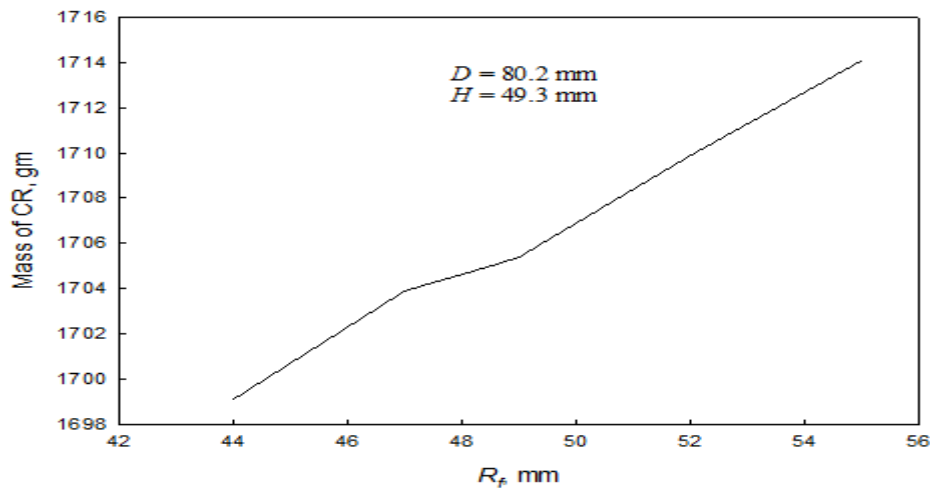

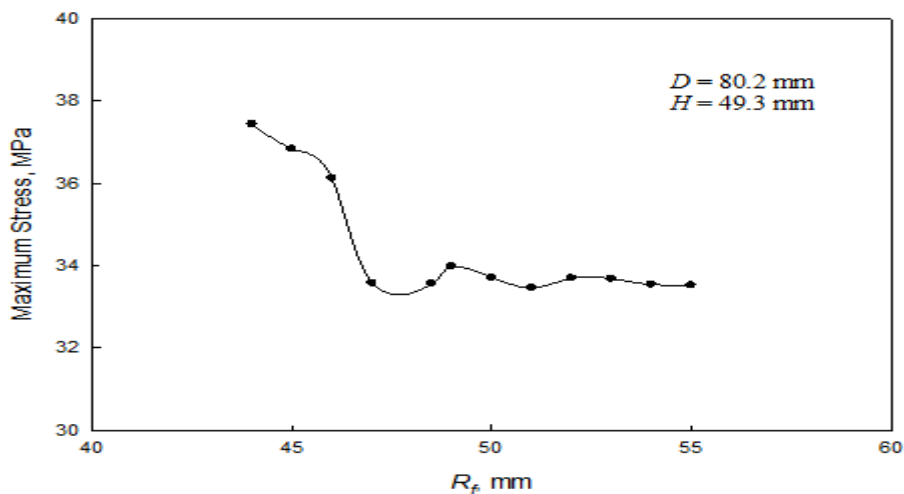Fig.10 The effect of fillet radius near the big end on the mass of I-section connecting rod

Fig.11The effect of big end fillet radius on the maximum stresses generated at the critical point under cyclic loading
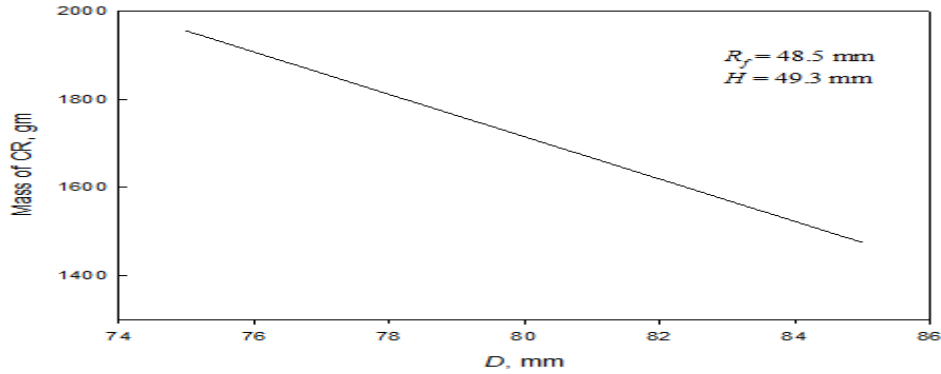
Fig.12 The effect of big end inner diameter (D) on the mass of I-section connecting rod

Fig.12 shows the effect of big end inner diameter (D) on the mass of connecting rod, keeping other dimensions constant. As expected, the mass of connecting rod decreases with increase in inner diameter and it is found to be inversely proportional to the inner diameter of the big end. Fig.11 shows the effect of big end inner diameter (D) on the maximum stresses (σ_{max}) generated at the critical point under the cyclic loading. For given fillet radius, the effect of increase in inner diameter slightly decreases the stresses generated at the critical point, and after reaching to a lowest optimum value it increases drastically. It is due to the fact that when thickness of connecting rod at the critical point becomes less than the thickness of remaining circular part of the big end, the section becomes weak very rapidly.
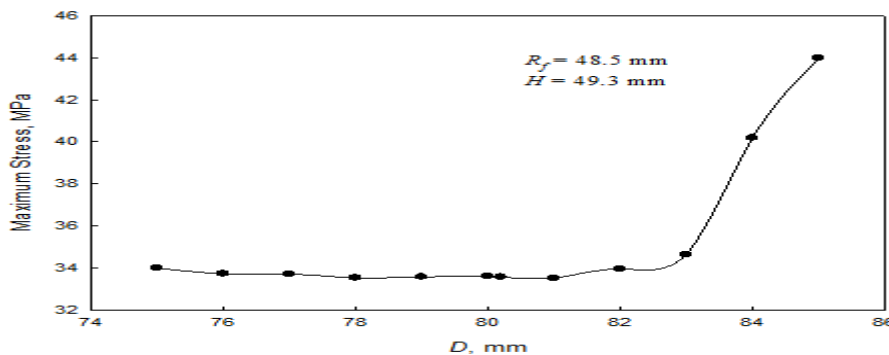

Fig.13The effect of big end inner diameter (D) on the maximum stresses (σ_{max}) generated at the critical point under the cyclic loading
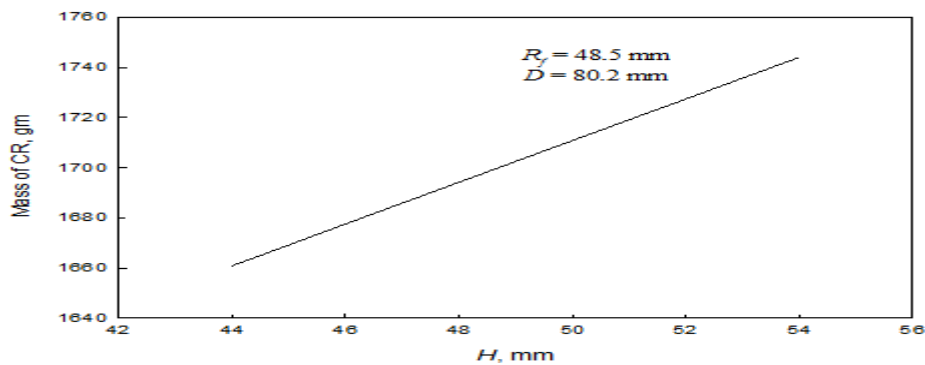

Fig.14 The effect of height $(H)$of the big end on the mass of I-section connecting rod, keeping other dimensions' constant

Fig.14 shows the effect of height (H) of the big end on the mass of connecting rod, keeping other dimensions constant. It is observed that the mass of connecting rod is proportional to the height of the big end. As height increases, the mass of connecting rod also increases and vice-versa. Fig.14 shows the effect of height (H) of big end on the maximum stresses generated at the critical point, keeping other dimensions constant. For given fillet radius, the effect of increase in height of big end slightly increases the stresses generated at the critical point, and after reaching to a lowest optimum value it also increases drastically.
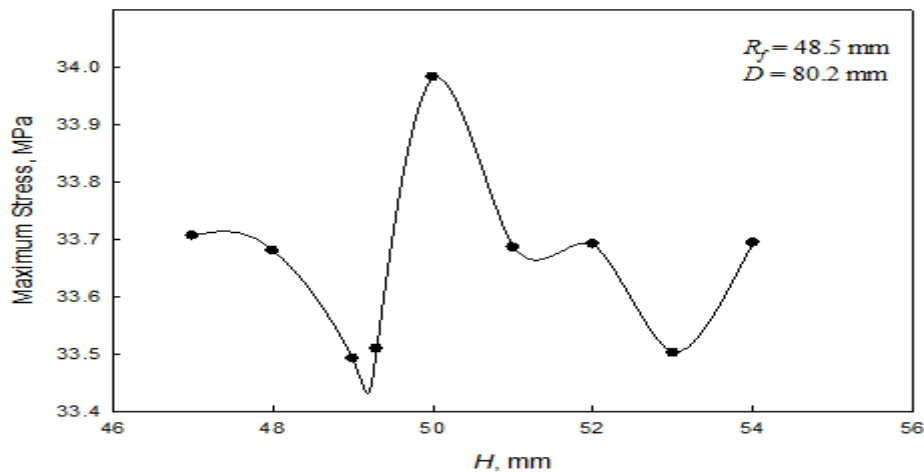

Fig.15 The effect of height (H) of big end on the maximum stresses generated at the critical point, keeping other dimensions' constant.

VII. CONCLUSION

By the finite element analysis method and the assistance of ANSIS software, it is able to analyze the different components from varied aspects such as fatigue and consequently save the time and the cost. The way that defined loadings was effective on the results achieved. So, they should fit as much as possible the real conditions. As the fatigue analysis requires some static analysis and to define the boundary conditions closest to the real. In this work we conclude that the critical node near the fillet of big end is optimum for all three critical dimensions. This connecting rod design is best suited for manufacturing. Future work will be to comparative study of I-section connecting rod with H-section connecting rod.

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